

Consider rolling an unbiased die numbered from 1 to 6. In this random experiment,

S = {1,2,3,4,5,6} Sample space	
A = {1,3,5}	An event
B={6}	A simple event(consisting of only one outcome)
C={4,5,6}	A composite event (not a simple event)

The outcomes in a random experiment has an equal likelihood of occurring, that experiment is called an experiment with equally likely outcomes.

In an instance where all the outcomes of a sample space are equally likely to occur, the probability of an event

Probability of the event occuring
$$= \frac{Number of elements in the event}{Number of elements in the sampale space}$$
 $P(A) = \frac{n(A)}{n(S)}$ xperiment of rolling an unbiased die with its facesA bag contains 4 identical balls. These are numbered

In an experiment marked 1,2,3 and 4,

Write the sample space and find n(S).

$$S = \{1, 2, 3, 4\}$$
 $n(S) =$

If the event of getting even number is A, write the element and find n(A). n(A) = 2

 $A = \{2, 4\}$

Find P(A).

 $P(A) = \frac{2}{4} = \frac{1}{2}$

- 1. In a random experiment of tossing an unbiased coin
 - i. Write sample space.
 - ii. Find the probability of getting head.
- 2. Write down sample space of the random experiment of rolling a unbiased die numbered from 1 to 6.
 - Find the probability of getting odd number. iii.
 - Find the probability of getting 4. iv.
 - v. Find the probability of getting odd number or 4
- A bag contains 4 beads. There are 3 yellow beads and a 3. red bead. When a bead is taken randomly,
 - Write sample space. i.
 - ii. Find the probability of getting a yellow bead.
 - Find the probability of getting a red bead. iii.

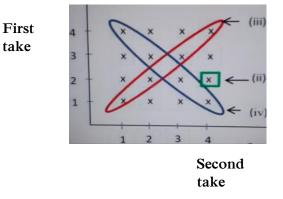
Do the exercise 30.1

 $P(A \cup B) = P(A) + P(B) - P(A \cap B)$

 $\mathbf{P}(\mathbf{A}^{/}) = \mathbf{1} - \mathbf{P}(\mathbf{A})$

ed 1,2,3,4. A ball is taken randomly, its number recorded and then put back in the bag. A ball is taken randomly from the bag again and its number recorded.

i. Show the relevant sample space in a grid



- ii) Find the probability that the first ball is numbered 4 and the second ball is numbered $2 = \frac{1}{16}$
- iii) Find the probability that the same ball is taken on both occasions. $=\frac{4}{16}=\frac{1}{4}$
- iv) Find the probability that the sum of the numbers on the two balls is $5. = \frac{4}{16} = \frac{1}{4}$

Do the exercises 30.2 and 30.3