## Unit 21 - Ratio (1)

## $>$ Ratios and Equivalent Ratios

- ratio is a numerical relationship between two or more quantities expressed in similar units.
- to make a consumable drink from the bottled juice, one can mix 2 litres of juice with 3 litres of water.
We say that the fruit drink is made using juice and water in the ratio 2:3. The mixed quantities (in litres) of juice and water are expressed by the ratio $2: 3$. This is read as 'two-to-three' or 'two-is-to-three'.
The numbers 2 and 3 are called the terms of the ratio.
- When the terms of a given ratio are multiplied by the same positive whole number, we get an equivalent ratio.
That is, $1: 3=2: 6=3: 9=4: 12=5: 15$
The sides of a triangle are $8 \mathrm{~cm}, 6 \mathrm{~cm} \mathrm{5mm}$ and 50 mm . Find the ratio of the lengths of the sides of the triangle and express it in the simplest form.
Let us express the lengths in similar units.
$8 \mathrm{~cm}=80 \mathrm{~mm}, 6 \mathrm{~cm} 5 \mathrm{~mm}=65 \mathrm{~mm}, 50 \mathrm{~mm}$
The ratio of the lengths of the sides $=80: 65: 50$
The ratio of the lengths of the sides in the simplest form
$\}=16: 13: 10$


## Dividing a given quantity in a ratio

Cement, sand and granite in a concrete mixture are in the ratio1:3:4. Find the quantities of cement, sand and granite in 16 cubic metres of concrete.

Ratio of cement to sand to granite $=1: 3: 4$
Total number of parts
$=1+3+4=8$
Size of 8 parts
$=16 \mathrm{~m}^{3}$
Size of a single part
Number of parts of cement
$=16 \div 8 \mathrm{~m}^{3}=2 \mathrm{~m}^{3}$

Quantity of cement
$=1$

Number of parts of sand
$=1 \times 2 \mathrm{~m}^{3}=2 \mathrm{~m}^{3}$

Quantity of sand
$=3$

Number of parts of granite
$=3 \times 2 \mathrm{~m}^{3}=6 \mathrm{~m}^{3}$
$=4$
Quantity of granite

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=4 \times 2 m^{3}=8 m^{3}
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